



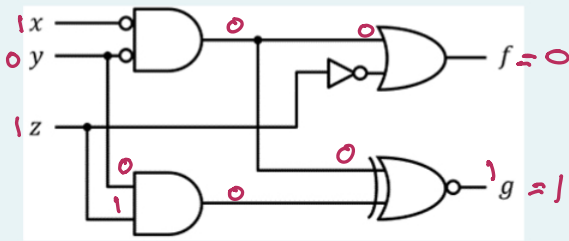
من للفحص إلى أخت

Format on Ch.1 + Ch.2

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كُلُّ مَحَاوَلَاتِكْ عِنْدَ اللَّهِ أَجُورٌ
اسْتَعْنِ بِاللَّهِ وَلَا تَعْجِزْ

Given the logic diagram below, what is the value of the outputs f and g when $x = 1$, $y = 0$, and $z = 1$?



- a. $f = 0, g = 0$
- b. $f = 0, g = 1$
- c. $f = 1, g = 0$
- d. $f = 1, g = 1$

	OR	NOR
0 0	0	1
0 1	1	0
1 0	1	0
1 1	1	0

The decimal value $(-9)_{10}$ is represented in binary as $(110110)_2$ when the representation system is:

001001
110110 → 1's comp

- a. Unsigned system
- b. Signed 2's complement system
- c. Signed 1's complement system
- d. Signed-magnitude system

Which of the following is the gray code for the value successive with the binary value $(1100)_2$? → gray code 1100 → gray code 1010

- a. 0001
- b. 0101
- c. None
- d. 1011 ✓

Write an algebraic expression for the Boolean function $F(X, Y, Z) = \prod(0, 3, 5, 7)$ as a sum-of-minterms.

$\Sigma(1, 2, 4, 6)$
 $= \overline{x}\overline{y}\overline{z} + \overline{x}y\overline{z} + x\overline{y}\overline{z} + xy\overline{z}$

- a. $X'Y'Z + X'YZ' + XY'Z' + XY'Z'$
- b. $\Sigma(1, 2, 4, 6)$
- c. $X'Y'Z' + X'YZ' + XY'Z' + XY'Z'$
- d. $X'Y'Z + X'YZ' + XY'Z' + XY'Z'$ ✓

Which of the following canonical forms represents the complement of the Boolean function $f(a, b, c) = ab + a'b' + b'c$?

- a. $\prod(2, 4)$
- b. $\prod(0, 1, 5, 6, 7)$ ✓
- c. $\Sigma(2, 4)$
- d. $\Sigma(0, 1, 5, 6, 7)$

	a	b	c	
ab	1	1	0/1	7/6
a'b'	0	0	0/1	0/1
b'c	0/1	0	1	5/1

$= \Sigma(0, 1, 5, 6, 7)$
 $= \Sigma(2, 3, 4)$
 $= \prod(0, 1, 5, 6, 7)$

What is the 13's complement of $(B30)_{13}$?

- a. 190
- b. 1A0
- c. 19C
- d. 1AC

$$= 12's(B30) + 1$$

$$= 19C + 1$$

$$1A0$$

Given the following Boolean functions F and G :

$$F(X, Y, Z) = \sum(0, 4, 6) \rightarrow F' = \sum(1, 2, 3, 5, 7)$$

$$G(X, Y, Z) = \prod(1, 3, 6) \rightarrow G = \sum(0, 2, 4, 5, 7)$$

$$F' \cdot G = (2, 5, 7)$$

Express the function $F' \cdot G$ as a sum-of-minterms.

- a. $\sum(2, 5, 7)$
- b. $\sum(0, 1, 2, 3, 4, 5, 7)$
- c. $\sum(1, 2, 3, 5, 6, 7)$
- d. $\sum(2, 4)$

as a product of Max terms.
 $\hookrightarrow \prod(6)$

Using Boolean Algebraic manipulations, the Boolean function $F(X, Y, Z) = X'(Y' + Z) + XZ$ can be simplified to $F = X'Y' + Z$. This is achieved using which of the following sequences of theorems?

- a. Distribution, Simplification, and then Absorption
- b. Distribution, Distribution, Complement, and then Identity
- c. Distribution, Complement, and then Identity
- d. Distribution, and then Consensus

① distributive
 ② distributive

$$= X'Y' + X'Z + XZ$$

$$= X'Y' + Z(X' + X)$$

$$= X'Y' + Z \cdot 1$$

$$= X'Y' + Z$$

Carry out the following conversion $(17.1)_8 = (?)_4$

- a. 33.01
- b. None
- c. 15.125
- d. 33.02

$$8 \rightarrow 10 \rightarrow 4$$

$$= 8 \times 7 + 8 \times 1 + 8^{-1} \times 1$$

$$= 7 + 8 + \frac{1}{8}$$

$$= 15.125$$

$$\begin{array}{r|l} 15 & 4 \\ \hline 3 & 3 \\ \hline 0 & 3 \end{array} \left. \vphantom{\begin{array}{r|l} 15 & 4 \\ \hline 3 & 3 \\ \hline 0 & 3 \end{array}} \right\} 33.01$$

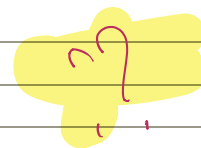
$$\begin{array}{r|l} 0.125 & 4 \\ \hline 0.5 & 2.0 \end{array}$$

In signed 1's complement representation with 3-bits, what is the largest positive number that can be added to (-1) without causing an overflow?

- a. 4
- b. 3
- c. 2
- d. 1

الأقصى رقم مستحيل يصح بين $(+)$ و $(-)$
 فإذن أكبر رقم من 3 bit بحيث 3 bit للـ $(-)$
 و 2 bit للرقم

$$\boxed{011}$$



Given the following 6-bit signed numbers:

$$A = (011011)_2$$

$$B = (110110)_2$$

The result and overflow when computing $A + B$ using the 2's complement arithmetic are:

- a. 010001, No overflow ✓
- b. 1010001, Overflow
- c. 010010, No overflow
- d. 010001, Overflow

$$\begin{array}{r} 1111 \\ 011011 \\ + 110110 \\ \hline 010001 \end{array}$$

Using algebraic manipulations Simplify the following expression to a minimal number of literals:

$$A + A'B + B'$$

$$\begin{aligned} &= A + B + B' \\ &= A \end{aligned}$$

Select one:

- a. 0
- b. A'
- c. AB
- d. 1
- e. A

Find the complement of the function in minterm list form:

$$F(x,y,z) = x'y' + yz + xz'$$

a. $\sum(0,1,3,4,6,7)$

b. $\sum(2,5)$ ✓

c. $\prod(0,1,3,4,6,7)$

d. None

e. $\prod(2,5)$

	x	y	z	
x'	0	0	0	0,1
yz	0	1	1	7,3
xz'	1	0	0	6,4

$F = \sum(0,1,3,4,6,7)$
 $F' = \sum(2,5)$

Find canonical SOP of the standard function:

$$F(x,y,z) = xy' + yz'$$

a. $\prod(0,1,3,6,7)$

b. $\prod(2,4,5,6)$

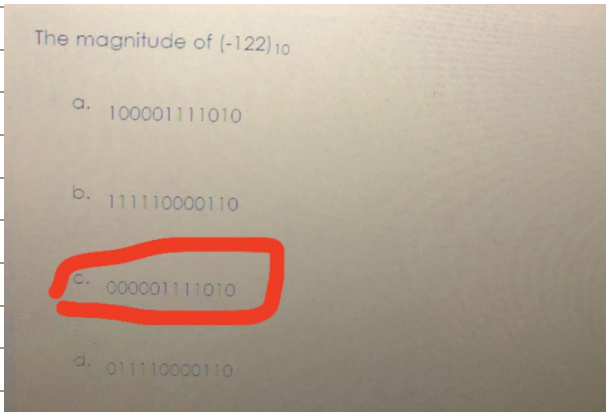
c. $\sum(0,1,3,7)$

d. $\sum(2,4,5,6)$ ✓

e. None

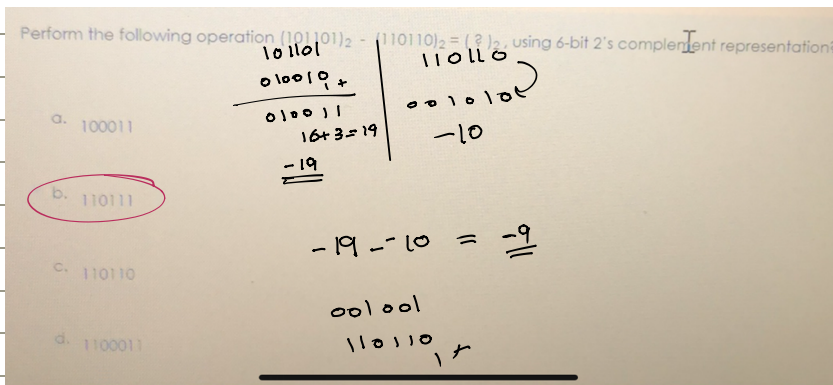
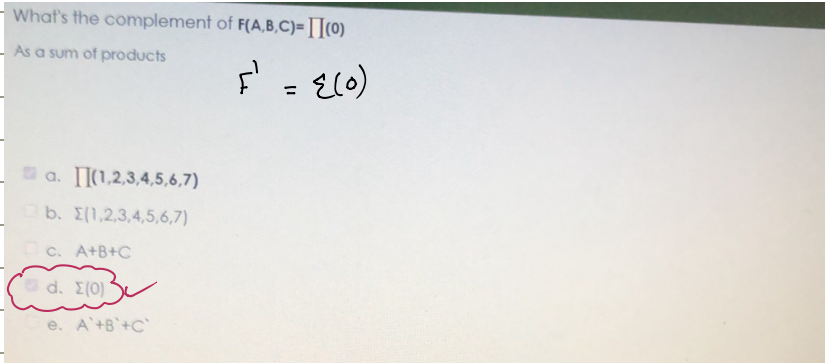
	x	y	z	
xy'	1	0	0	4,5
yz'	0	1	0	2,6

$F = \sum(2,4,5,6)$



122	2
61	0
30	1
15	0
7	1
3	1
1	1
0	1

1111010
as magnitude
↓
without signed



$$\begin{array}{r} 101101 \\ 010010 + \\ \hline 010011 \\ 16+3=19 \\ \hline -19 \end{array}$$

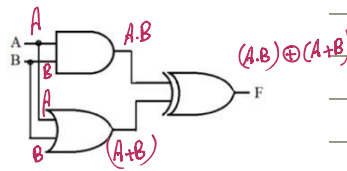
$-19 - 10 = -9$

$$\begin{array}{r} 001001 \\ 110110 + \\ \hline 110111 \end{array}$$

$$\begin{array}{r} 101101 \\ 001010 + \\ \hline 110111 \end{array}$$

52) What is the output of the following circuit?

- a. AB
- b. A+B
- c. A'B'+AB
- d. A'B+AB'**



let $(A.B) = y$ $y \oplus d$
 let $(A+B) = d$ $y d' + d y'$

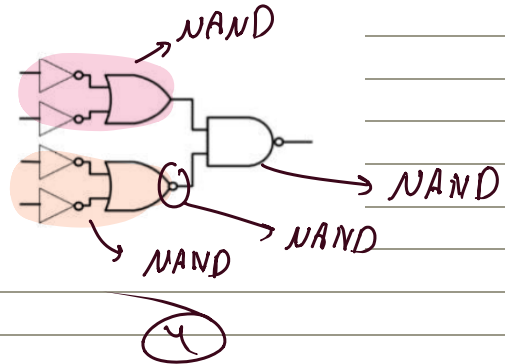
$$= (A.B)(A'B') + (A+B)(A'+B')$$

$$= 0 + AA' + AB' + BA' + BB'$$

$$= AB' + A'B$$

51) The shown circuit can be implemented using a minimum of :

- a. 3 NAND Gates
- b. 4 NAND Gates**
- c. 5 NAND Gates
- d. 4 NAND Gates and 1 NOR Gate



$$F = \Sigma(0, 2, 5, 6)$$

$$G = \Pi(1, 2, 5, 7) = \Sigma(0, 3, 4, 6)$$

$$G' = \Sigma(1, 2, 5, 7)$$

$$F.G' = \Sigma(2, 5)$$