

$HI = h + R$   
 $h_i = HI - R_i$   
 checks  $\neq R_i = \neq f_i$   
 $\sum B.S - \sum F.S = h_p - h_{f.p}$   
 # of setup = T.P + 1

I.P intermediate point  
 $\sum HI_i (k) = \sum B.S - \sum F.S = \sum h_i$

inverted staff  
 إذا انقلنا منسوبنا من فوق إلى تحت  
 $R = -15$

profile in one direction  
 road, tunnels, water channel  
 pipeline (gas, oil, gas, water)  
 longitudinal section of the center line  
 profile  
 give cross sections of profile taking  
 orthogonal to the center line

distance in air  
 distance in ground

misclosure error:  
 $\sum h = h_{\text{actual}}$

$E_{\text{all}} = c \sqrt{k}$

$K = \sum D_{BS} + \sum D_{FS} (k-m)$   
 $D = (r_1 - r_2) 100$

$C_{TP} = \frac{m}{k+m} E$

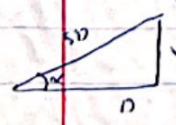
contour:  
 إذا خطوط التسطير متساوية ينداد slope  
 إذا كانت غير متساوية ينداد غير level

covers:  
 خطوط التسطير المتساوية  
 التسطير، دالة على شكل نقطة

direct, min elevation  
 direction of ground slope (down hill)

3 degree of slope (sharp, mild, constant, flat)  
 from closed contour section  
 3 degree of slope of ground (valley)

slope =  $\frac{\Delta h}{L} = \tan^{-1} \alpha$   
 slope dist =  $\sqrt{D^2 + V^2}$



systematic error: collimation -  
 different distance  
 $E_{A_1} = R_{A_1} - R_{A_1}' = d_{A_1} \tan \alpha$   
 $E_{B_1} = R_{B_1} - R_{B_1}' = d_{B_1} \tan \alpha$   
 $\Delta h_{A_1 B_1} = R_{A_1}' - R_{B_1}'$   
 $R_i' = R_i - d_i \tan \alpha$

equal distance  
 $E_{A_1} = E_{B_1}$

$\Delta h_{A_1 B_1} = R_{A_1}' - R_{B_1}'$   
 $= R_{A_1} - R_{B_1}$   
 $= h_B - h_A$

$\tan \alpha = \frac{R_{A_1} - R_{B_1} - (R_{A_2} - R_{B_2})}{d_{A_1} - d_{B_1}}$

curvature - correction

$E_{cur} = E_c - E_r$   
 $\Rightarrow E_c = 0.785 D^2 (m)$   
 $\Rightarrow E_r = \frac{E_c}{2}$

$E_{cur} = 0.0675 D^2$

$R_i' = R_i - E_{cur}$

$\Rightarrow R_i' = R_i - d_i \tan \alpha - E_{cur}$

Theodolite  
 H.A (x, y) (Z) V.A  
 azimuth Bearing Zenith angle  
 (0, 360) (0, 900)

$DOA = H.A_1 - H.A_2$

Zenith angle

$h_B = h_A + HI + V, V = D \tan \alpha$

when we D with theodolite

Tangential method  
 measurement (r1, z1) (r2, z2)

$D = r_1 - r_2$   
 $\frac{1}{\tan z_1} = \frac{1}{\tan z_2}$

$V_1 = \frac{D}{\tan z_1}, V_2 = \frac{D}{\tan z_2}$

$h_B = h_A + HI + V_1 - r_1$

$h_B = h_A + HI + V_2 - r_2$

Stadia method  
 measurement (z, r1, r2, r3)  
 $D = K r \sin^2 z, K = 100$   
 $V = \frac{1}{2} K r \sin 2z$   
 $r = r_1 - r_2$   
 $h_B = h_A + HI + V - r_2$

think (staff) بالقياس إلى

$h_c = h_p + HI + V, V = \frac{D_{AC}}{\tan z_A}$

Select A, B  
 measure:  $D_{AB}, h_A, \hat{A}, \hat{B}, \hat{C}$   
 $\hat{C} = 180 - \hat{A} - \hat{B}$

$\frac{D_{AC}}{\sin b} = \frac{D_{AB}}{\sin c} \Rightarrow P = ??$

Azimuth  
 Back azimuth  $\alpha_{BP} = \alpha_{AP} + 180$   
 reduced bearing (S, N, E, W)

magnetic declination

$\Delta E_{AB} = E_B - E_A$  (change in elev)  
 $\Delta N_{AB} = N_B - N_A$  (change in lat)

$\Delta E_{AB} = L_{AB} \sin \alpha_{AB}$   
 $\Delta N_{AB} = L_{AB} \cos \alpha_{AB}$

$\tan^{-1} \phi = \frac{\Delta E}{\Delta N}$

$E_B = E_A + \Delta E_{AB}$   
 $N_B = N_A + \Delta N_{AB}$

closed link  
 Traverse closed opened  
 closed (loop)

$E = \sum \text{interior angle} - 180(n-2)$   
 $E < \text{closing error}$   
 $E_{\text{corr}} = \frac{E}{\sum n}$

$\Rightarrow \text{correction} = -\frac{E}{n}$

corrected angles =  $\text{angle} + \text{correction}$

check all angles  
 $\rightarrow E_{\text{all}} - E_{\text{all}} = \sum \Delta E$   
 $\rightarrow N_{\text{all}} - N_{\text{all}} = \sum \Delta N$   
 closing error  
 $SE = \sum \Delta E - (\Delta E_{\text{all}} - E_{\text{all}})$   
 $SN = \sum \Delta N - (\Delta N_{\text{all}} - N_{\text{all}})$

$S = \sqrt{SE^2 + SN^2}$

Precision =  $\frac{1}{\sqrt{SE^2 + SN^2}}$

$\Delta E : \Delta E, \Delta N : \Delta N$   
 $\Delta E = \frac{SE}{L}, \Delta N = \frac{SN}{L}$

$E_2 = E_1 + \Delta E, N_2 = N_1 + \Delta N$

checks:  
 1.  $\sum \Delta E = SE, \sum \Delta N = SN$   
 2.  $\sum \Delta E = 0, \sum \Delta N = 0$   
 3.  $E_2 = E_1, N_2 = N_1$

$\sum \Delta E = E_{\text{all}} - E_{\text{start}}$   
 $\sum \Delta N = N_{\text{all}} - N_{\text{start}}$

closed link  
 Traverse closed opened  
 closed (loop)

$E = \sum \text{interior angle} - 180(n-2)$   
 $E < \text{closing error}$   
 $E_{\text{corr}} = \frac{E}{\sum n}$

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 $E < \text{closing error}$   
 $E_{\text{corr}} = \frac{E}{\sum n}$







## Horizontal Alignment

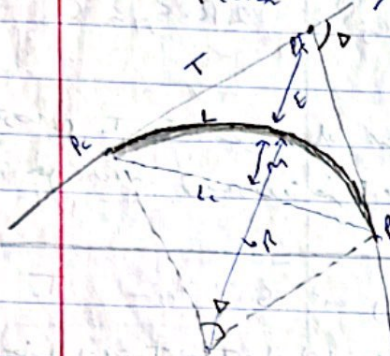
$$L = \frac{\Delta}{180} \pi R \quad \text{curve length}$$

$$T = R \tan \frac{\Delta}{2}$$

$$L_c = 2R \sin \frac{\Delta}{2} \quad \text{long chord (distance)}$$

$$M = R(1 - \cos \frac{\Delta}{2})$$

$$E = R \left( \frac{1}{\cos \frac{\Delta}{2}} - 1 \right)$$



Degree of curvature (D)

$$D = \frac{1718.873}{R} \quad \text{where } R \text{ is in feet}$$

Setting out the curve

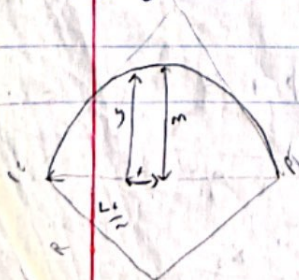
① Short curve (distance type)

linear method for setting out short curves

② Ordinates from long chord

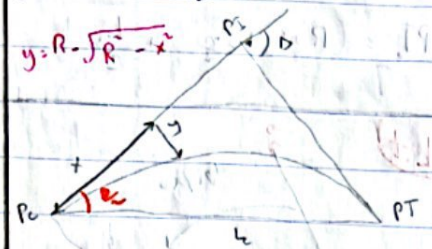
$$\begin{matrix} x & y \\ 0 & M \\ \vdots & \vdots \\ L_c & 0 \end{matrix}$$

$$y = \sqrt{R^2 - x^2} - \sqrt{R^2 - \left(\frac{L_c}{2}\right)^2}$$



③ offset from tangent

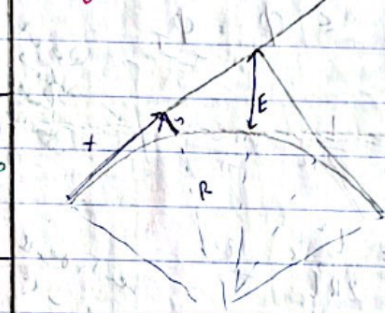
$$\begin{matrix} x & y \\ 0 & 0 \\ \vdots & \vdots \\ L_c \cos \frac{\Delta}{2} & L_c \sin \frac{\Delta}{2} \end{matrix}$$



④ Radial offset

$$\begin{matrix} x & y \\ 0 & 0 \\ \vdots & \vdots \\ T & E \end{matrix}$$

$$y = \sqrt{R^2 - x^2} - R$$



⑤ offset from middle coordinates

$$M_1 = R(1 - \cos \frac{\Delta}{2})$$

$$M_2 = R(1 - \cos \frac{\Delta}{2})$$

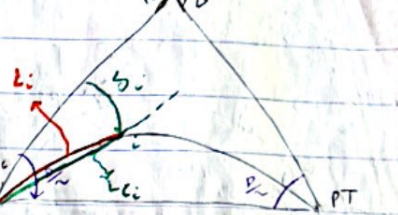
$$M_3 = R(1 - \cos \frac{\Delta}{2})$$

Long curves (dist + angle)  
Theodolite total station

$\Delta$ : total deflection angle  
 $\delta_i$ : deflection angle  
 $0 \leq \delta_i \leq \frac{\Delta}{2}$

deflection angle  
(i) for the point

ای نقطه ی دیگر غیر P و T  
که اقل باشد



$$L_i = \text{station} - \text{station } P_c$$

$$L_c = 2R \sin \delta_i$$

$$\delta_i = \left( \frac{\Delta}{2} \right) \left( \frac{L_i}{L} \right)$$

فرم کلیه لایحه

$$c \leq \frac{R}{20}$$

$\delta$ : partial arc/c. partial chord  
 $L$  &  $c$

از یک مستویات یکسان و یکسان  
چون یک مستوی است - station  
که وسطاً لازم می شود. انحراف  
و تراز (لوکس) است، بنابراین  
در مثلث قائم

$$n = \frac{370 - 320}{10} = 5$$

net = # of points excluding  
 $P_c$  and  $P_T$











Q: Principle point  
Q: Forward overlap  
B: air base (m)  
P: parallax (mm)  
f: focal length (mm)  
c: constant  
r: parallax reading

$$P_n = x_1 - x_2$$

condition of the point in the photo  
if the point is on the left or right of the flight line

$$\frac{f}{1-h} = \frac{x_1}{x_2} = \frac{P}{B} = \frac{x_1 - x_2}{B}$$

$$\rightarrow h = H - \frac{B}{P} f$$

$$\rightarrow x_1 = \frac{B}{P} x_2$$

$$\rightarrow y_1 = \frac{B}{P} y_2$$

if the point is on the left or right of the flight line

$$P = c + r$$

h: elevation of any point (m)  
H: flight height (m)  
B: air Base (m)  
P: parallax (mm)  
f: focal length (mm)  
c: constant  
r: parallax reading

$$P_0 = c - (b') - b'$$

$$\rightarrow c_1 = P_0 - b_1$$

$$P_n = b'' - b'$$

$$\rightarrow c_2 = P_n - b_2$$

$$c = \frac{c_1 + c_2}{2}$$

$$b = \frac{b' + b''}{2}$$

$$\text{avg scale} = \left( \frac{b}{B} \right) = \frac{1}{\frac{B}{b}}$$

$$\text{Scale} = \frac{1}{\frac{H-h}{f}} = \frac{1}{\frac{B}{b}}$$

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$$\frac{1}{\frac{H-h}{f}} = \frac{1}{\frac{B}{b}}$$

elevation of any point (m)  
flight height (m)  
air Base (m)  
parallax (mm)  
focal length (mm)  
constant  
parallax reading

$$h = H - \frac{B}{P} f$$

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$$D_p = (1 - O_p) W$$

$$D_s = (1 - O_s) W$$

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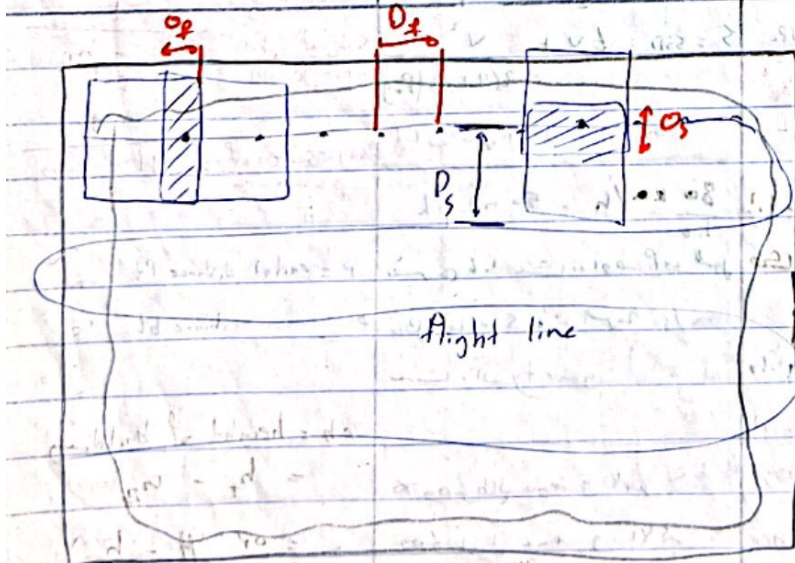
$$D_s = (1 - O_s) W$$

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for the point in the photo

if the point is on the left or right of the flight line

$$D_p = (1 - O_p) W$$

$$D_s = (1 - O_s) W$$

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