	Design P	rocodune			
			ted latch cir	reuit with two	inputs
				about Q. The U	
	of Dis	, transferred by	1 4 when G:	=1. When G	20
	the value	e of co	ill not cha	rge.	
ART.	Solution	-			
1				le (flow table	
+				each row), a.	
				ernal State Comb	
				he we may he	
	66 8	As a Stability	stable.	total states	
	ı^	G	Φ	Stable ??	
				yes	
	<i>b</i>	6		yes	
	•		\	yes	
-	6)	na	
		6		Je8	
-		_ 6	4		
	(6	no	
-4	1	1		yes	
	,	·	(7	
_	=) fx	this exam	ph we ha	ve 6 stable	2
				w nearrange t	
		•		0	

	Input	5	outpub	Har Stite bore
state	0		() b	Comments Comments Comments Comments Comments
a	0		0 b	16 1 Because G=1
b	1	1	\ a.,	0=D / C=1
C	0	0	,	after stole a or d
d	-	0		after stope c
e	(0		after state b or f
f	O	0		after state e
J				·
-> no	ow we	can	draw the	Lorder adopt colf
				and one Column
				=) the flow table
				6 rows & 4 Colymns
\$150 Al		•		6 rows 1 4 colymns
	00	01 1	1 10	
	[c,-	a o b.		
	-)-			
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1		-,- 6		
d				
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	1451	a,	J 16,-	
			each row 1	mle a: hall stable stable
a. fill	in one	square in		clongin to for stone such
	in one ab row	square in		selongin to the stable stab
in th	ab row			to change simulaneous

more variable from the input warish Uploaded By: anonymous

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comments in the previous table to see how we can
reach a stable total state

Step? use the implication table to merge the flow table by finding the maximal compatibles of the total states

a incompatible

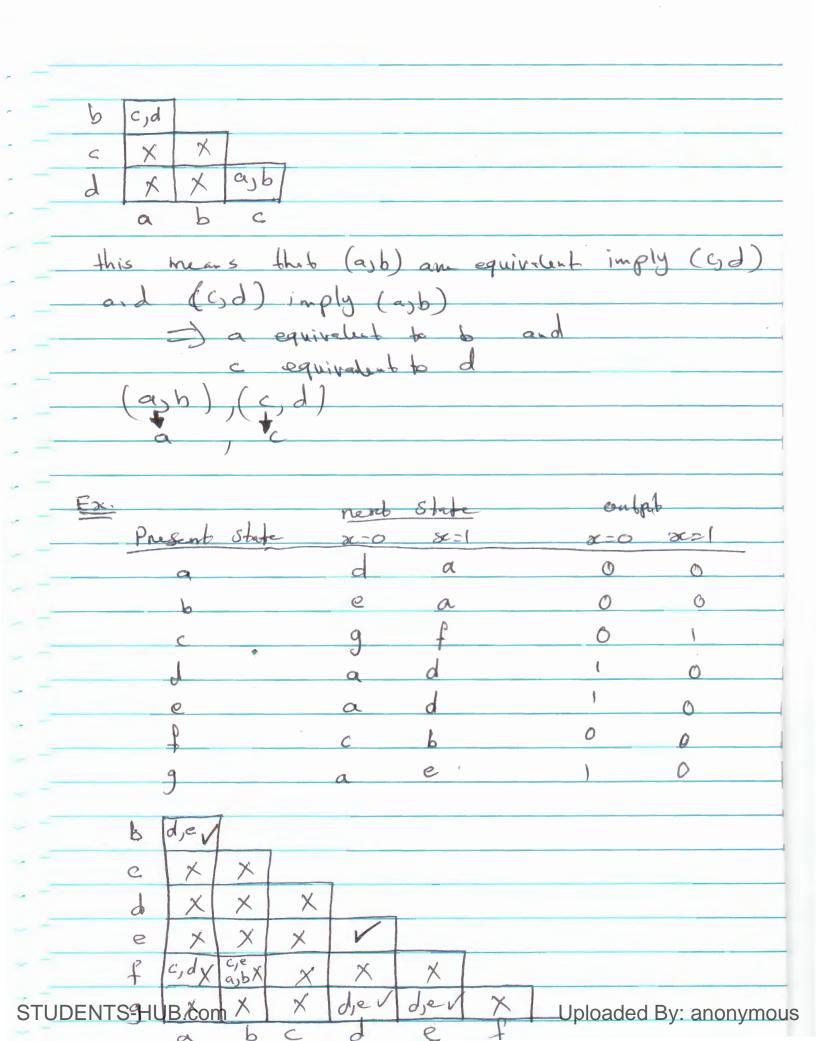
bo compatible

e. equivalent

any equivalent of pair of states are compatible any incompatible pair of states are inequivalent. two compatible states are not necessary to be equivalent.

Example of using Emplication table to find against the states. Two states are said to be aquivalent if they have the same outputs and go to the same same or equivalent next states

Ex	heat	state	output	
Present State	DC-6	2001	200 221	
a	C	b	0 1	
b	d	a	6	
C	9	d	1 0	
d	b	d	1 0	



(a,b), (d,e), (d,g), (e,g)

=) (a,b), (c), (d,e,g), (f)

(a), (c), (d), (f)

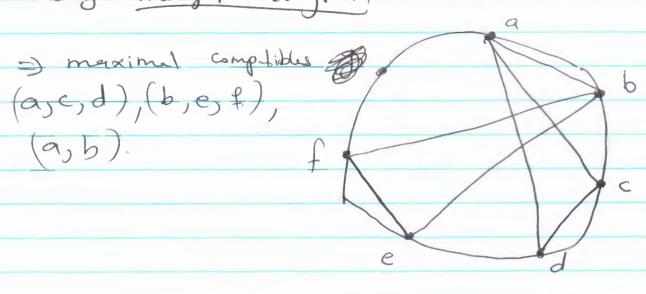
Two states are said to be comprtible if for each possible input they have the same output whenever specified and their preset state are compatible whenever they are specified. All don't care conditions marked with dashes have no effect when searching for compatibile states because they represent unspecified Condition

b						
C	/	d, ex		-		
d		diex				
e	CofX	/	C) f X	×		
f	C, \$ x	~	X	X	V	
	a	b	C	d	9	

(a,b) (a,c) (a,d) (b,e) (b,f) (c,d) (c,f)

- Having found all compatible pairs, the next step is to find larger sets of States that are compatible. The maximal compatible is a group of compatibles that contains all the possible Combinations of compatible States.

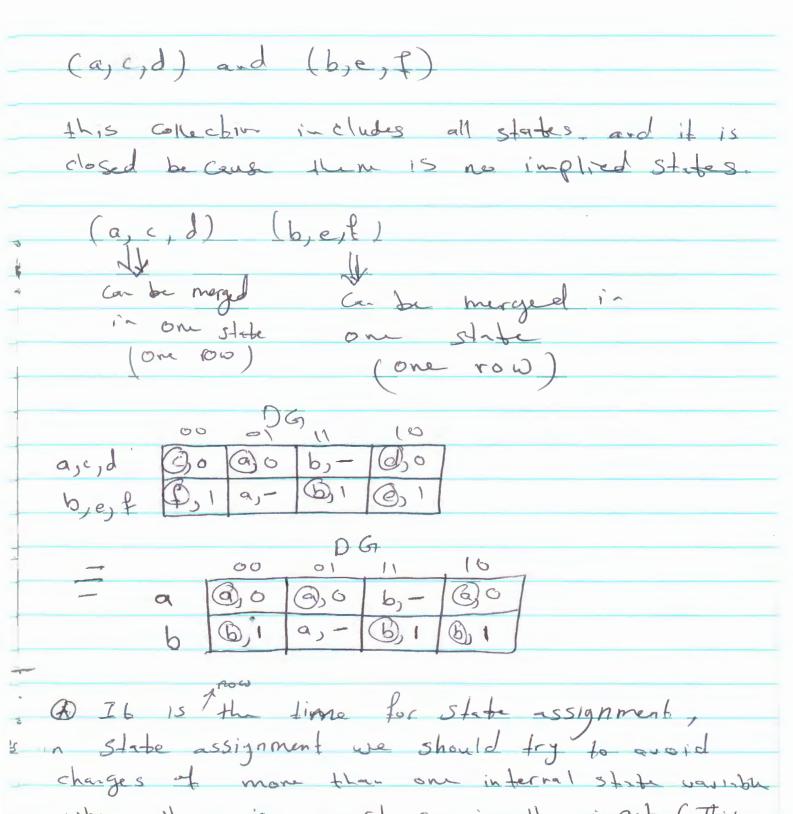
using merger-disgram



after finding the maximal compabibles, we must find a minimal collection of competibles that covers all the states and is closed.

The Set will cover all the States it it inclus all the States of the original bable. the closure condition is satisfied if there are no implied states or if the implied States are included within the set

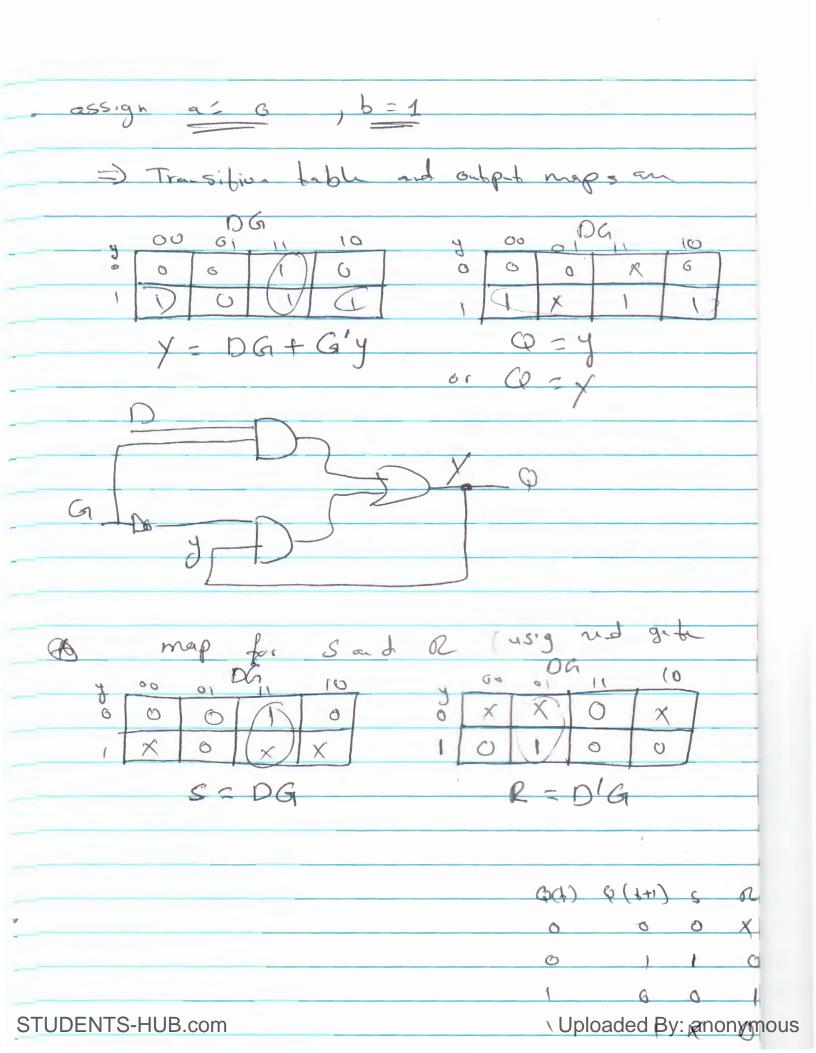
Din our excample, minimal collection STUDENTS-HUB.com patibles an Uploaded By: anonymous

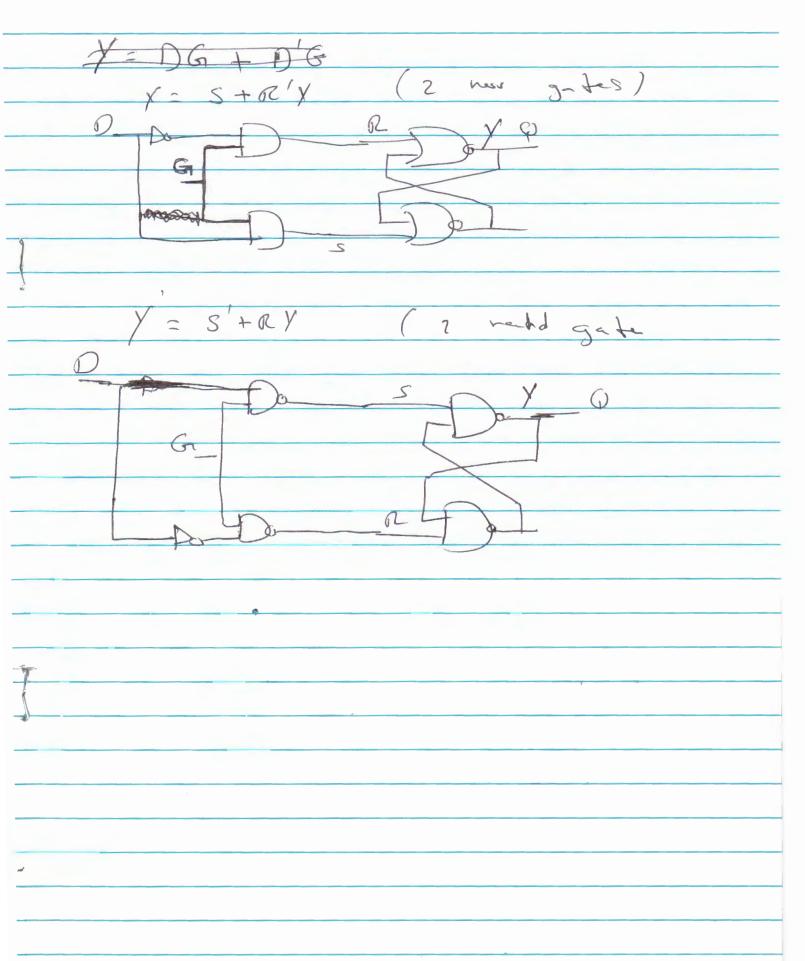


when there is a charge in the import (This is in order to avoid critical race). In this example, there is no critical race be cause we have only 2 states (1 internal state variable X)

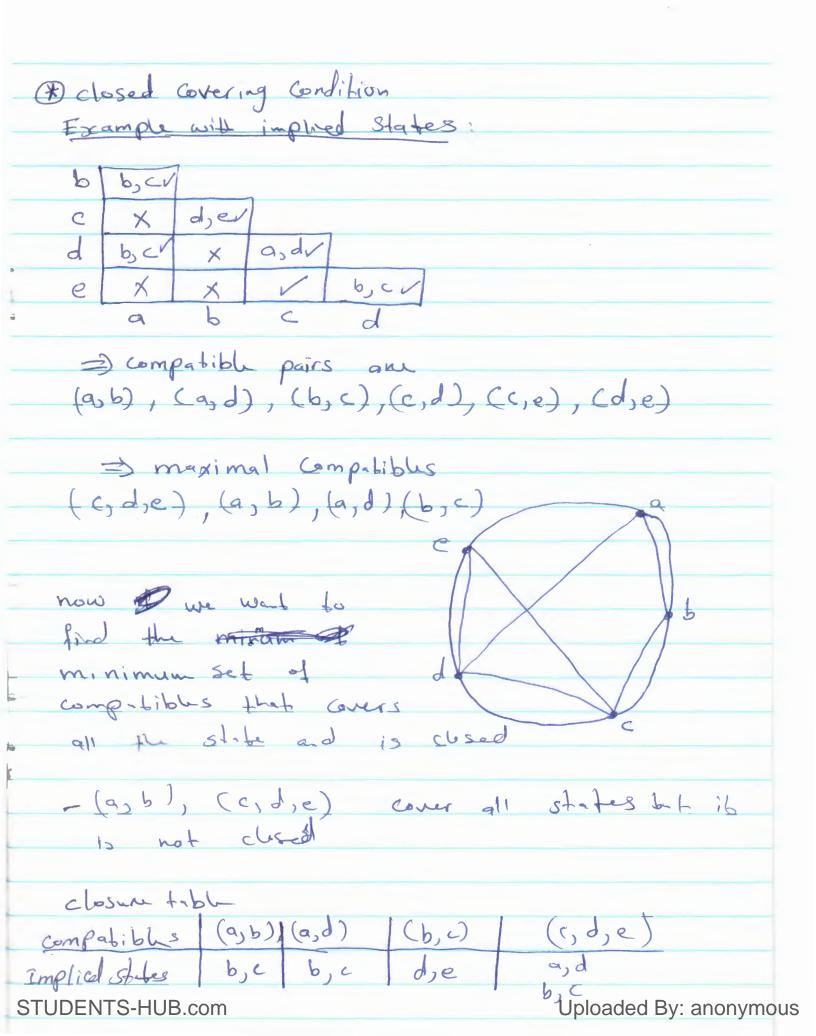
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Assigning Outputs to Unstable states - The stable states in a flow table have specific output entres associated will them - The unstable states have unspecified output entries designated by desh (-) The origin values for the unstable states must be chosen so that no momentary false outputs occur when the circuit switches between stable 5/stes = use the following rules a Assign the output o when the transition occurs between two states with a ortests (3) Assign the subput I when the transition occurs between two states with I outputs @ Assign tothe the outputs don't core (x) when the transition between two states with different ortputs Ex. given the following flow toble



The closed Covering Condition is

(a,d) (b,c) (c,d,e) 3) We reduce the table from 5 rows to - note that another closed-covered Compatibles would be (asb), (b, c), (dse) (In general, there may be more than one possible way of merging rows). Pace-Free State Assignment - in our assignment for the states in a flow table we should prevent the occurrence of existical races. - critical races cant be avoided if we assign the states such that only one charge occur when we go from an internal state - In the Two-Row flow table we don't have

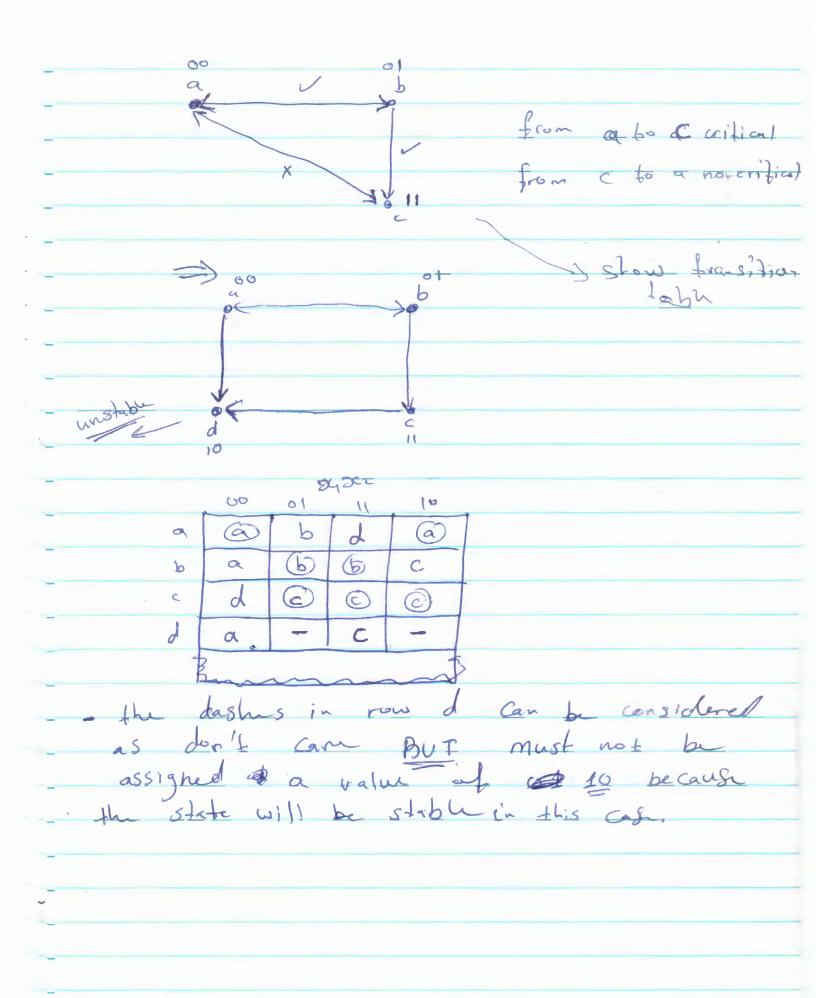
any problem with assignment, but for 3-rows

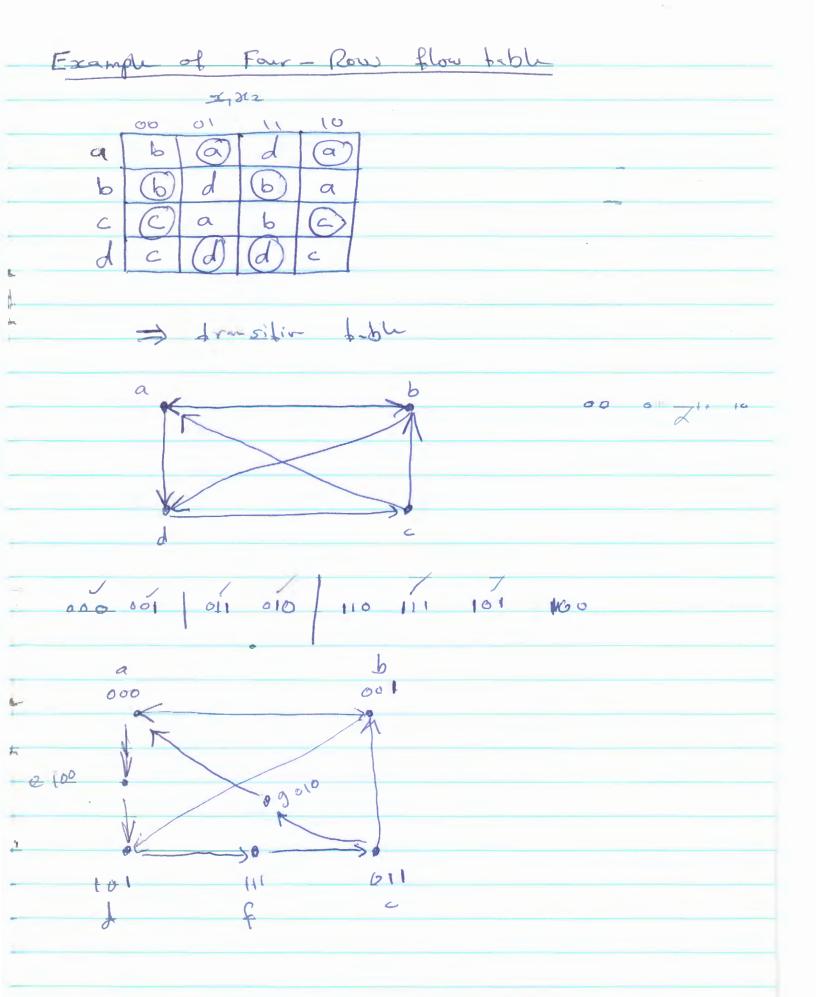
and more we may have some problems.

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Example of 3-row flow table
a B b c B . b a B C C C C C C C C C C C C C C C C C C
a transition diegram
transition diagram
assignmt a = 00 b= 01 c= 10
2 = 60 b = 01 C = 11
This problem can be solved by adding a fourth row (d) to the flow table in order to form a cycle between Stubb States
,





			2	22				
		00	01	11	10	7		
9	000	b	(a)	e	(a)			F
6	601	(b)	d	(b)	a			
C	011	6	9	b	(c)	1		
9	010		a	-	_			
	110	-	-	-	_			
C	(10	G	-	-	C			
1	161	f	0	(d)	f			
OL P	160	-	_	d	-			
e								
	2							
			ø					
					_		 	

H.W 9-2 , 9-4 , 9-6 , 9-9 , 9-12 , 9-14 9-15 , 9-18 , 9-19 , 9-22