

Donia said

Ch. 8 : deadlock

## ch.8 → DeadLock

### ① System model

- Resource type :-
  - cpu cycle
  - memory space
  - I/O device

- each process utilize a resource as follows :-
  - request
  - use
  - release

process كى راج شغل مع الـ process الجديده

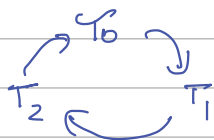
\* فان طلب مساحه لا يستطيعها ويكرر.

### \* Deadlock with Semaphores →

Deadlock Definition :- A Deadlock is a situation which two or more competing actions are each waiting for the other to finish and those neither ever Does .

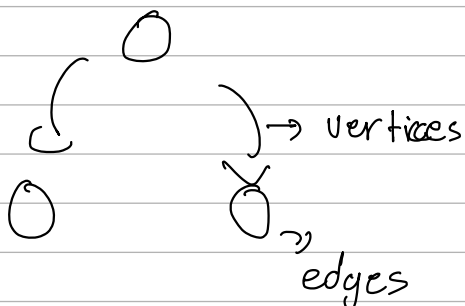
\* four Condition can hold simultaneously arise in Deadlock →

- mutual exclusion → process واحد فقط يملك mem. device
- Hold and wait
- No preemption
- Circular wait



\* على انظار رقم كل شغل دائره

### \* Resource - Allocation Graph



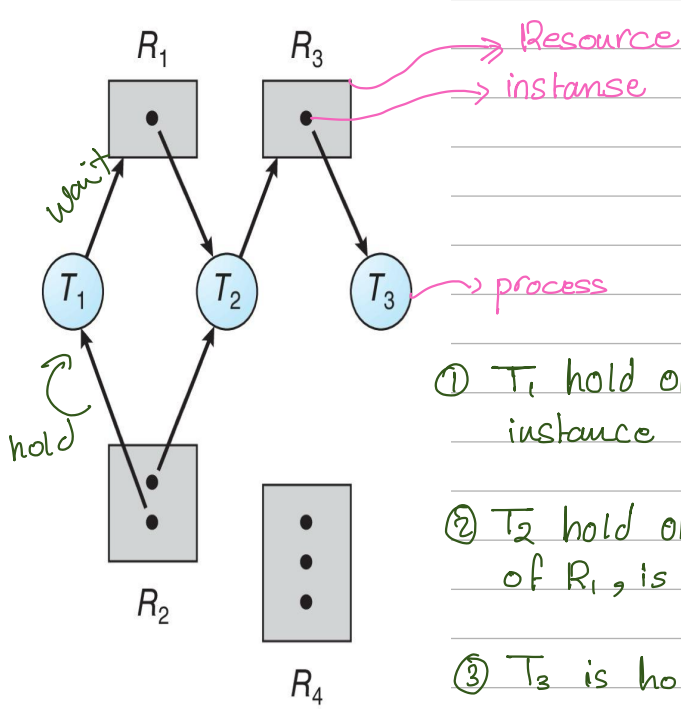
\* A set of vertices  $V$  and a set of edges  $E$ .

$T_i \rightarrow R_i$  request edge

$R_i \rightarrow T_i$  assignment edge

Direct edge

## \* Resource Allocation Graph example →

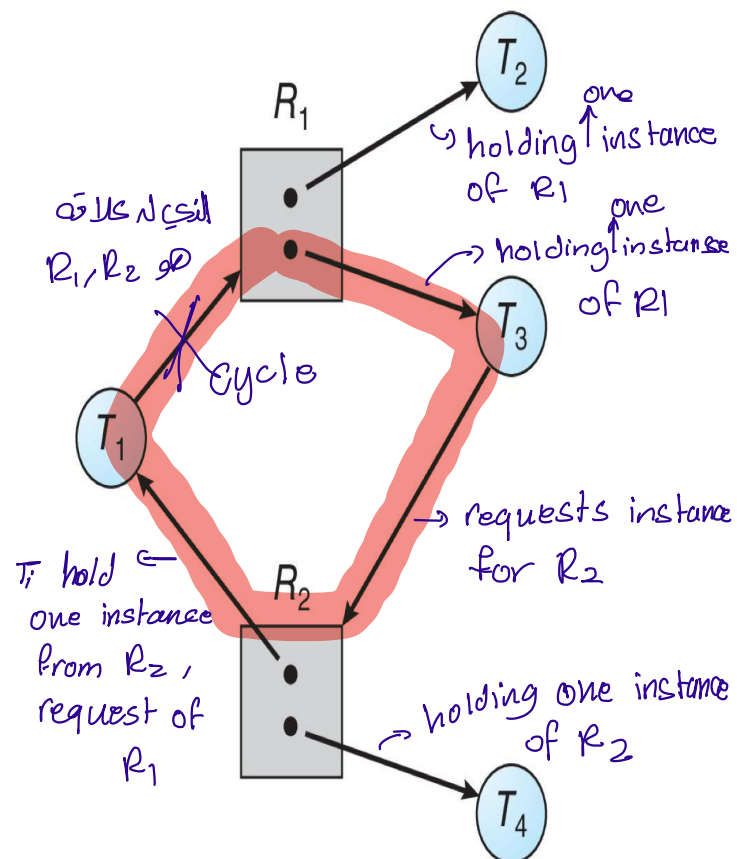
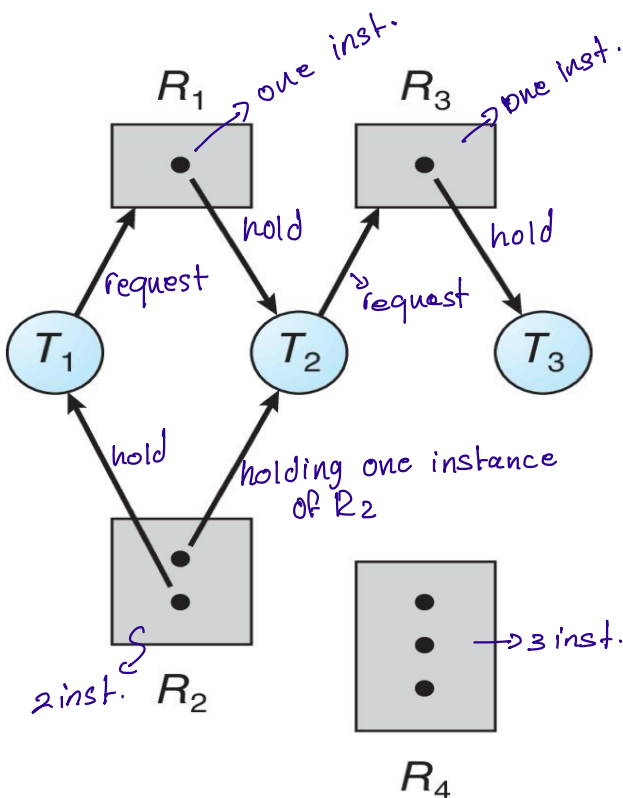
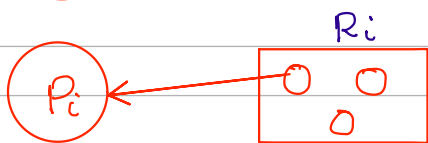
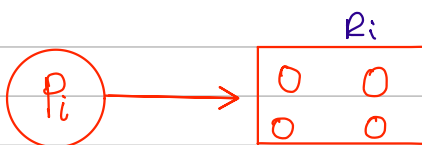


- ① one instance  $R_1$
- ② one instance  $R_3$
- ③ Two instance  $R_2$
- ④ Three instance  $R_4$

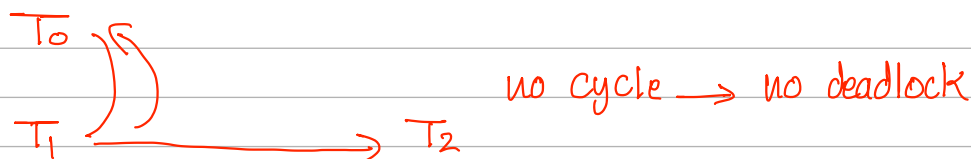
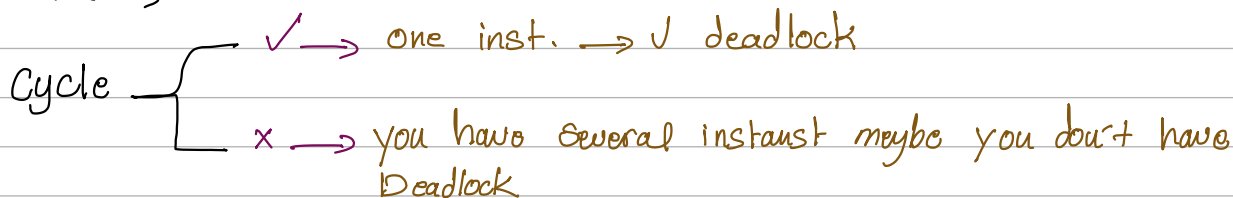
①  $T_1$  hold one instance of  $R_2$  and waiting for an instance of  $R_1$

②  $T_2$  hold one instance of  $R_2$  and hold one instance of  $R_1$ , is waiting for an instance of  $R_3$

③  $T_3$  is hold one instance of  $R_3$



## \* Basic facts →



## \* Method for handling Deadlocks → كيف أنقذ من مع الدبلوك

- Deadlock prevention
- Deadlock avoidance

### \* Deadlock prevention :- ① manual exculution

- ② Hold and wait
- ③ non preemption
- ④ Circular wait

عشان اتق حدوث ال deadlock ← نحتاج اتحكم في عملية الطلب والاعطى -

## \* DeadLock avoidance →

هاد النظام يكون عنده معلومات جاهزة في النظام

١- يتطلب النموذج الذكي بمسألة واحدة أن يضمن كل خيط عن الحد الأدنى لعدد الموارد من كل نوع قد يحتاجه

٢- كضبط خوارزمية تجنب الجوع ديناميكيًا " حالة تخصيص الموارد للتأكد من عدم وجود حالة انتظار دائرية لا، (التي قد يكون عنده) (Circle - wait Condition)

٣- يتم تحديد حالة تخصيص الموارد من خلال عدد الموارد المتاحة والخصائص والطلبات القصوى للعمليات.

Process	R <sub>1</sub>	R <sub>2</sub>	R <sub>3</sub>
P <sub>1</sub>	3	1	0
P <sub>2</sub>	4	5	2

كل واحد يأخذ أقصى عدد  
من ال R اللى عنده

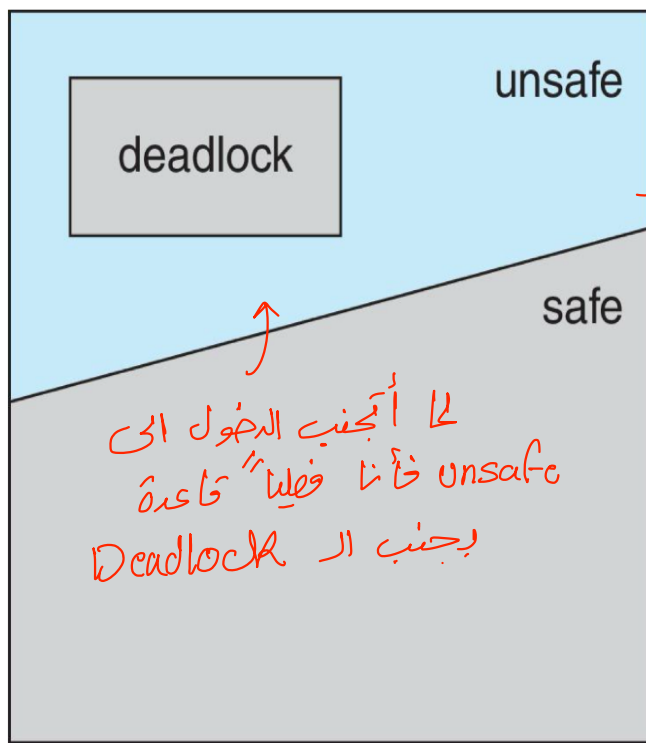


Safe state  $\rightarrow$  الحالة التي يكون فيها النظام آمن

عمر يكون النظام في حالة أمان أنه إذا أُعطيت  $R_1$  شغل و  $P_2$  يكمل عملها  
ادخلها حايصل

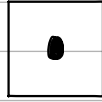
Basic fact  $\rightarrow$

- ① if a system is in safe state  $\rightarrow$  no deadlock
- ② if a system is in unsafe state  $\rightarrow$  possibility of deadlock احتمال
- ③ Avoidance  $\rightarrow$  ensure that a system will never enter an unsafe state



# Avoidance Algorithms

Single instance



use a resource allocation graph

multiple instance



use a Banker's algorithm.

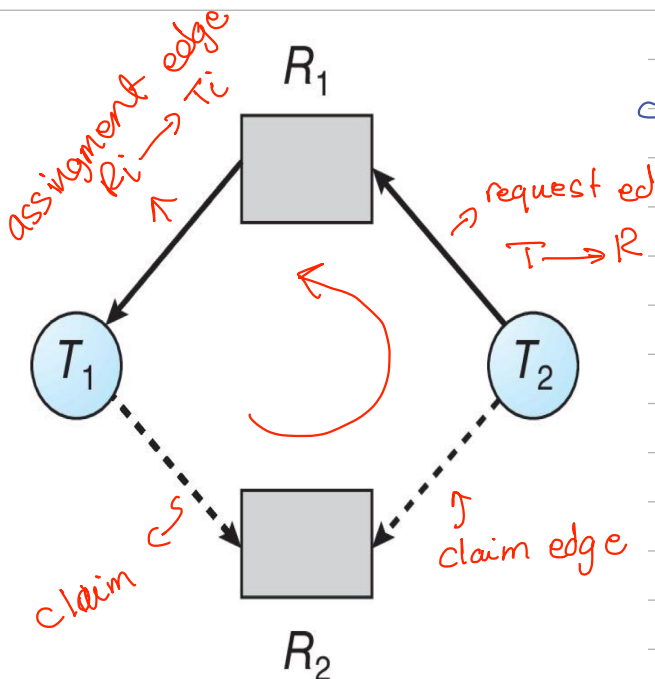
\* Resource-Allocation Graph Scheme →

Claim edge → Resource allocation process edge

may request →  $P_i \text{ --- } T_i$

Dash line ↑

لأنه سيقبل مستهلكه أو لا .

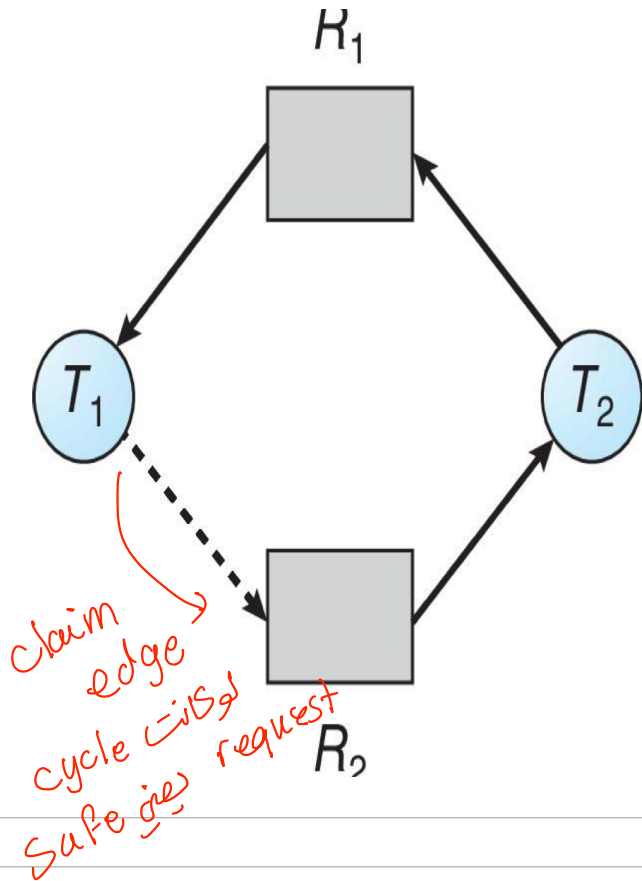


\* كيف يبري أمن النظام نفوت في Unsafe edge

9 ① Cycle →

غير مكتملة لأن  $T_1 \rightarrow R_1$  request  
يجتهد في حالة إذا كانت  $T_1$  request  
لـ  $R_2$ .

→ this is in unsafe because you have a probability to happen a unsafe state



\* Banker's algorithm →

① multiple instance of resources

② each thread must a priori claim maximum use

③ when a thread requests a resources, it may have to wait.

④ when a thread gets all its resource it must return them in a finite amount of time.

↓  
يوجد طلب resource يكتب ان لك 35 لكن  
تقل النظام وترجعه.

Let  $n$  = number of processes, and  $m$  = number of resources types.

- **Available:** Vector of length  $m$ . If available  $[j] = k$ , there are  $k$  instances of resource type  $R_j$  available
- **Max:**  $n \times m$  matrix. If  $Max[i, j] = k$ , then process  $T_i$  may request at most  $k$  instances of resource type  $R_j$
- **Allocation:**  $n \times m$  matrix. If  $Allocation[i, j] = k$  then  $T_i$  is currently allocated  $k$  instances of  $R_j$
- **Need:**  $n \times m$  matrix. If  $Need[i, j] = k$ , then  $T_i$  may need  $k$  more instances of  $R_j$  to complete its task

- 5 threads  $T_0$  through  $T_4$   $\rightarrow T_0, T_1, T_2, T_3, T_4 \Rightarrow 5$  threads
- 3 resource types: A (10 instances), B (5 instances), and C (7 instances)

- Snapshot at time  $t_0$

كم مؤخره

	Allocation	Max	Available
	A B C	A B C	A B C
$T_0$	0 1 0	7 5 3	3 3 2
$T_1$	2 0 0	3 2 2	
$T_2$	3 0 2	9 0 2	
$T_3$	2 1 1	2 2 2	
$T_4$	0 0 2	4 3 3	
	7 2 5		

600

الاجوزة


كل واحد كم

نحتاج عدد من كل واحد

30

الحد الكلي - العدد  
الاجوز = العدد  
المتاح

فكاي 10  
ركن اعتاده  
بالسعة اي  
فقط 3



A (10 instance), B (5 instance), C (7 instance)

available 3 3 2

Need = max - allocation  
work = available

need  
7 4 3

awa

$P_0$   $\begin{bmatrix} 3 & 3 & 2 \end{bmatrix} \geq \begin{bmatrix} 7 & 4 & 3 \end{bmatrix} \times$

$P_1$   $\begin{bmatrix} 1 & 2 & 2 \end{bmatrix} \leq \begin{bmatrix} 3 & 3 & 2 \end{bmatrix} \checkmark$

then work change =  $\begin{bmatrix} 5 & 3 & 2 \end{bmatrix}$   $200 + 332 = 532$

$P_2$   $\begin{bmatrix} 6 & 0 & 0 \end{bmatrix} \leq \begin{bmatrix} 5 & 3 & 2 \end{bmatrix} \times$

$P_3$   $\begin{bmatrix} 0 & 1 & 1 \end{bmatrix} \leq \begin{bmatrix} 5 & 3 & 2 \end{bmatrix} \checkmark$

then work change =  $\begin{bmatrix} 7 & 4 & 3 \end{bmatrix}$

$532 + 211 =$

$P_4$   $\begin{bmatrix} 4 & 3 & 1 \end{bmatrix} \leq \begin{bmatrix} 7 & 4 & 3 \end{bmatrix} \checkmark$

then work change =  $\begin{bmatrix} 7 & 4 & 5 \end{bmatrix}$

$$P_0 \begin{bmatrix} 7 & 4 & 3 \end{bmatrix} \leq \begin{bmatrix} 7 & 4 & 5 \end{bmatrix} \checkmark$$

$$745 + 010$$

$$\text{then work change} = \begin{bmatrix} 7 & 5 & 5 \end{bmatrix}$$

$$P_2 \begin{bmatrix} 6 & 0 & 0 \end{bmatrix} \leq \begin{bmatrix} 7 & 5 & 5 \end{bmatrix} \checkmark$$

$$755 + 302$$

$$\text{then work change} = \begin{bmatrix} 10 & 5 & 7 \end{bmatrix}$$

the sequence  $P_1, P_3, P_4, P_0, P_2$   
the system in the safe state.



## Example: $T_1$ Request (1,0,2)

- Check that Request  $\leq$  Available (that is,  $(1,0,2) \leq (3,3,2) \Rightarrow \text{true}$ )

	<u>Allocation</u>	<u>Need</u>	<u>Available</u>
	A B C	A B C	A B C
$T_0$	<del>0 3 0</del> <del>0 1 0</del>	<del>7 2 3</del> <del>7 4 3</del>	2 3 0
$T_1$	3 0 2	0 2 0	2 1 0
$T_2$	3 0 2	6 0 0	
$T_3$	2 1 1	0 1 1	
$T_4$	0 0 2	4 3 1	

- Executing safety algorithm shows that sequence  $\langle T_1, T_3, T_4, T_0, T_2 \rangle$  satisfies safety requirement

- Can request for (3,3,0) by  $T_4$  be granted?

- Can request for (0,2,0) by  $T_0$  be granted?

① Request =  $[3, 3, 0]$   
 1-  $[3, 3, 0] \leq [4, 3, 1] \checkmark$   
 2-  $[3, 3, 0] \leq [2, 3, 0] \times$   
 $P_4$  you must wait  
 because the source you don't available.

- Request  $[3, 3, 0]$  by  $T_4$

$$\text{need } [4, 3, 1] / \textcircled{1} [3, 3, 0] \leq [4, 3, 1] \checkmark$$

$$\textcircled{2} [3, 3, 0] \leq [2, 3, 0] \times$$

$P_4$  you must wait because it's not available.

$$\text{- Request } [0, 2, 0] \text{ by } T_0 / \textcircled{1} [0, 2, 0] \leq [7, 4, 3] \checkmark$$

$$\text{need } [7, 4, 3] / \textcircled{2} [0, 2, 0] \leq [2, 3, 0] \checkmark$$

$$\textcircled{3} \text{ Available - req} = [2, 3, 0] - [0, 2, 0] = [2, 1, 0]$$



⑤ need = [7, 4, 3]  $\rightarrow$  [7, 4, 3] - [0, 2, 0]  
= [7, 2, 3]

$P_0 [7, 2, 3] \leq [2, 1, 0]$  ✗

$$P_1 \quad [0, 2, 0] \subseteq [2, 1, 0] \times$$

$$P_2 \quad [6, 0, 6] \leq [2, 1, 0] \times$$

$P_0$  must wait  $\rightarrow$  the system in unsafe state  
("Dead lock")

- Snapshot at time  $t_0$ :

<u>Allocation</u>	<u>Request</u>	<u>Available</u>
A B C	A B C	A B C
0 1 0	0 0 0	0 0 0
2 0 0	2 0 2	
<u>3 0 3</u>	<u>0 0 0</u>	$\leq [0, 1, 0]$
2 1 1	1 0 0	✓
0 0 2	0 0 2	

work [0,0,0]

Finish = 0

$$T_o \rightarrow \text{reg} \leq \underline{\underline{\text{work}}}$$

work  $[0, 1, 0]$

$$\rightarrow \text{req} \leq \text{work}$$

work  $[3, 1, 3]$

$\rightarrow \text{req} \leq \text{work}$

no  $r \in [5, 1, 3]$

 $= \text{true}$  for all  $i$ 

work  $\leq [7, 2, 9]$

$k[7, 2, 6]$

- Sequence  $\langle T_0, T_2, T_3, T_1, T_4 \rangle$  will result in **Finish[i] = true** for all  $i$

$$T_0, T_2, T_1, T_3, T_4$$

Work  $[0, 1, 0]$

$$T_1 \rightarrow [2, 0, 2] \leq [0, 1, 0] \times$$

$$T_2 \rightarrow [0, 0, 0] \leq [0, 1, 0] \checkmark$$

work [3, 1, 3]

$$T_3 \rightarrow [1, 0, 0] \leq [3, 1, 3] \checkmark$$

work [5, 2, 4]

$$T_4 \rightarrow [0, 0, 2] \leq [5, 2, 4] \checkmark$$

work [5, 2, 6]

$$T_1 \rightarrow [2, 0, 2] \leq [5, 2, 6] \checkmark$$

010

work [5, 3, 6]

the sequence  $\rightarrow T_0, T_2, T_3, T_4, T_1$

Lined paper template with horizontal ruling lines.