

## Ch 2 (Op.Amp Applications) Problems

**2.30** The inverting circuit with the T network in the feedback is redrawn in Fig. P2.30 in a way that emphasizes the observation that  $R_2$  and  $R_3$  in effect are in parallel (because the ideal op amp forces a virtual ground at the inverting input terminal). Use this observation to derive an expression for the gain ( $v_O/v_I$ ) by first finding ( $v_X/v_I$ ) and ( $v_O/v_X$ ).

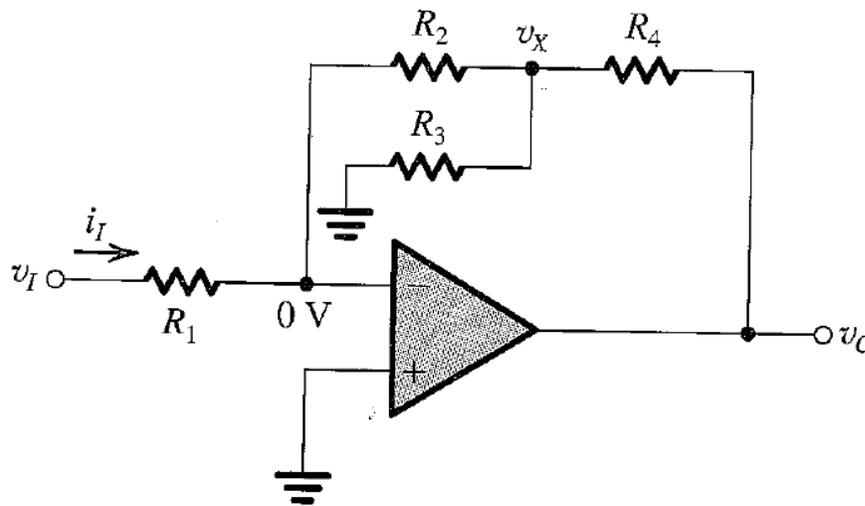
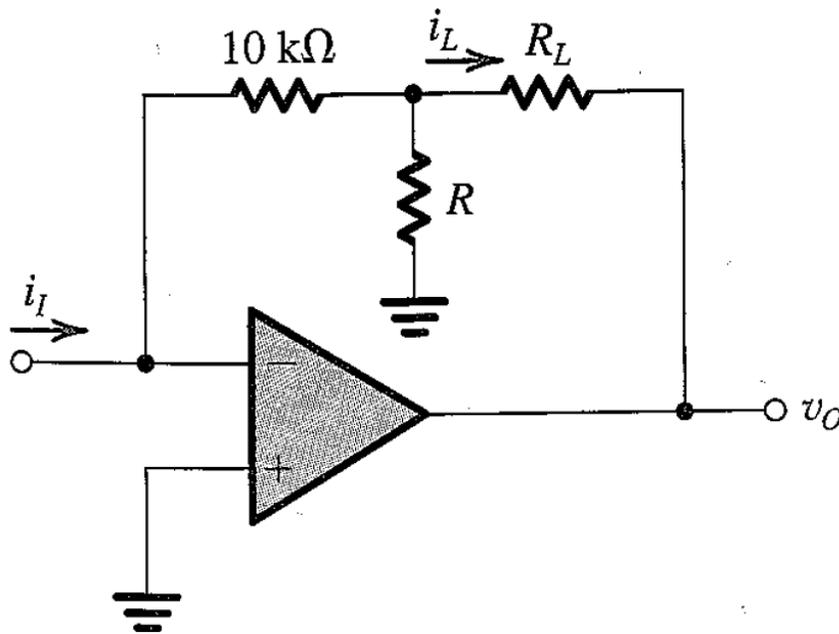


FIGURE P2.30

**D2.33** Assuming the op amp to be ideal, it is required to design the circuit shown in Fig. P2.33 to implement a current amplifier with gain  $i_L/i_I = 20\text{ A/A}$ .

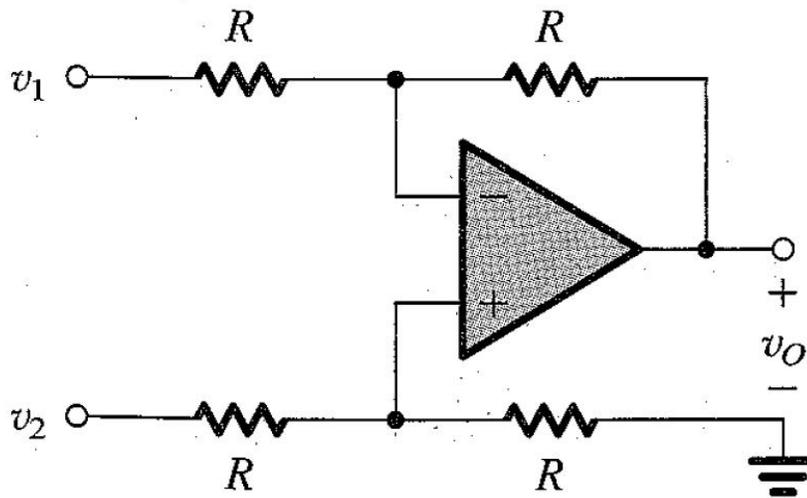
- (a) Find the required value for  $R$ .
- (b) If  $R_L = 1 \text{ k}\Omega$  and the op amp operates in an ideal manner so long as  $v_O$  is in the range  $\pm 12 \text{ V}$ . What range of  $i_I$  is possible?
- (c) What is the input resistance of the current amplifier? If the amplifier is fed with a current source having a current of  $1 \text{ mA}$  and a source resistance of  $10 \text{ k}\Omega$ , find  $i_L$ .



**D2.41** Use two ideal op amps and resistors to implement the summing function.

$$v_O = v_1 + 2v_2 - 3v_3 - 4v_4$$

**2.62** For the circuit shown in Fig. P2.62, express  $v_O$  as a function of  $v_1$  and  $v_2$ . What is the input resistance seen by  $v_1$  alone? By  $v_2$  alone? By a source connected between the two input terminals? By a source connected to both input terminals simultaneously?



**D2.76** Design the instrumentation-amplifier circuit of Fig. 2.20(b) to realize a differential gain, variable in the range 1 to 100, utilizing a 100-k $\Omega$  pot as variable resistor. (*Hint:* Design the second stage for a gain of 0.5.)

