

Examples

① Memory:

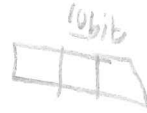
①

→ # of cells = 2^n $n = \# \text{ of add. bits}$

→ # of add. bits = $\log_2 n$.

→ use $[]$ for memory

(Ex) operand → 10 bits



→ # cells = $2^{10} = 1K \text{ cells}$

→ if each cell = 8 bits (1B) → size of M = $2^{10} \times 8 = 1KB$.

(Ex) Memory size = 256 MB, cell = 16 bits → find Length operand?

→ # of cells = $\frac{256 M \times 8}{16} = 128 M = 2^7 \cdot 2^{20}$

→ # of add. bits = $\frac{218}{\log_2 2^7} = 27 \text{ bits}$.

② Registers: # reg depends on # of reg. bits (operands).

(Ex) how many bits needs to represent 48-reg.

$$48 = 2^6 \Rightarrow 48 < 64 \rightarrow n = 6 \text{ bits}$$

③ Constant

Add $R_0, 5$; $R_0 = R_0 + 5$

STUDENTS-HUB.com

→ qscome
Uploaded By: anonymous

(Ex) binary: 10101 00000 00101 → 1st Length = 15

Add 10101
R → Five bits

→ Signed numbers $-2^{n-1} \rightarrow +2^{n-1} - 1$

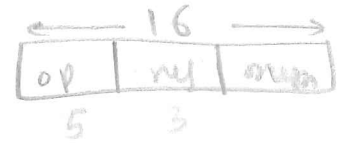
→ unsigned numbers $0 \rightarrow 2^n - 1$ } Constant value

(Ex) how many bits need to represent -512 → +511

$$-512 = -2^9 \rightarrow 9 = n-1 \rightarrow \boxed{n=10} \text{ bits}$$

→ to diff. reg, mem, imm. → in inst. there is bits ≤

Q1 machine supports 18 ops., has 8 Ry.



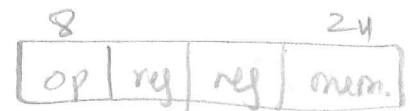
1. mem length → $16 - 5 - 3 = \boxed{8}$ bits.

2. max. memory space as access = 2^8 cells.

Q2

machine access 64 MB, cell = 32 bits, supports 130 ops. has 96 ry. Find the #bits for each field.

→ 64 MB, cell = 32 bits = 4B



$$\# \text{ cells} = \frac{64 \text{ MB}}{4 \text{ B}} = 16 \text{ M cells} = 2^4 \cdot 2^{20} = 2^{24}$$

→ #bits memory = 24 bits.

→ 130 ops. → $130 < 2^8 = 256 \rightarrow 8 \text{ bits}$.

→ 96 ry. → $96 < 2^7 = 128 \rightarrow 7 \text{ bits}$ / 5

Note: #diff. inst. = #operations.

length of inst. = total length of op-code + operands -