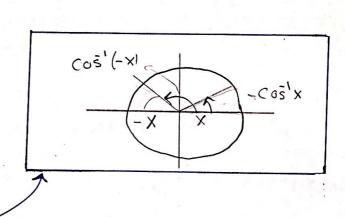
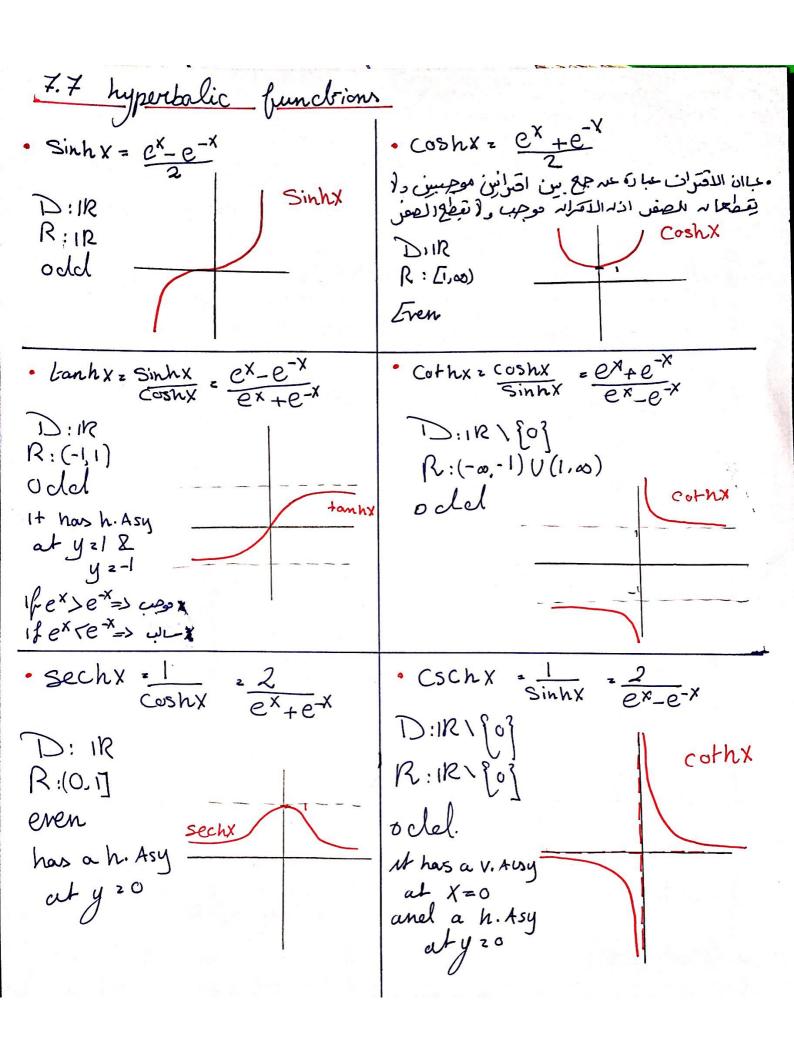


Sec 
$$\frac{1}{X}$$
  $\frac{1}{X}$   $\frac{1}{X}$ 



\* Dereivatives for the inverse \* Integrals for the enverse of Trigonometric functions of Trigonometric functions · U(x) is diff function of x  $1 - \frac{d(\sin u(x))}{dx} = \frac{u}{\sqrt{1 - u^2}} \quad |u| < 1$  $2-d(\frac{\cos^2 u(x)}{dx}) = \frac{-u}{\sqrt{1-u^2}} \quad |u| < 1$  $3-d(\frac{\tan^{-1}u(x)}{dx})=\frac{u}{1+u^2}$ 4- d(Cot-1 u(x1) - - u)  $5 - \frac{d(\sec^{-1}u(x))}{d(x)} = \frac{u}{|u|\sqrt{u^2-1}} |u|$ 6- d(csc-1 u(x)) = -u' |u|x|

of Trigonometreic functions → a ≠0  $1 - \int \frac{du}{\sqrt{a^2 - u^2}} = \sin^{-1} \frac{u}{a} + C$ 2- \int \frac{\du}{\a^2 + u^2} = \frac{1}{a} \frac{\dan^{-1}}{a} \frac{u}{a} + C 3- \( \frac{du}{u\sqrt{u^2-a^2}} = \frac{1}{a} \sec^{-1} \left| \frac{u}{a} \right| + C



Dereivatives of hyperbolic functions

Assume u(x) is differentiable

If  $y = \sinh u(x) \longrightarrow y' = \cosh u \frac{du}{dx}$ · If y z Cosh ucx -> y z sinhx du - If y - tanh u(x) → y = sech²u du · If y = coth u(x) -> y' = - Csch²u du · if y = Sechu(x) \_\_\_\_ y = -Sech<sup>2</sup>u du dxif y= Cschu \_\_\_ y = - Cschu cothu du Integrals of hyperbolic bunctions · Ssinhx dx = coshx + C · J coshx dx = Sinhx+c · S sech 2x dx = tanhx + c · Scscn2x dx = - cothx+c J sech xtorklx = -sechx+c JCschx Cothx dx = -Cschx+C

I dentities of hyperbalic functions

- · COSh2X Sinh2X =1
- · Sin h2x = 2 Sinhx CoshX
- · Coshax = Coshax + sinhax

 $\Rightarrow$  = 2 ces h x -1

= 1+ Sinh2X

- +anh2x + sech2x = 1
- Cot  $h^2x Csch^2x = 1$

· 7.8: Relative Rates of Corcowth

Important Votes

limax = { 0 if oracl - x -> 0 if oracl - on ih a>l -

ex is faster than lux

Definition If h(x) and g(x) are positive functions let o<L<0 be a positive contant

If lim  $\frac{f(x)}{g(x)}$  [ as , f grows faster thou of as  $x \to \infty$ 

L. I greaus at the same rate as of

. If you forgot The Dereivatives of the inverse of Trigonometric functions go back to the (fx)) = P((f-1(x)) P'(Sim'x) But: (052×+Sin2×=1 Cos (Siwix) COSX 2 VI-Sin2X = /1-Sin2 (Sintw) Same Way,
for (Cos X)  $=\frac{1}{\sqrt{1-\chi^2}}$ 

y's I sec y tany Back to A secy = X y = 1 X tany tany = \ Sec2y-1 2 X2-1 y' = \(\frac{1}{X^2-1}\)  $y = \frac{1}{|x| \sqrt{x^2 - 1}}$ - If you get this you will never iteave a mistake in you exam (But never say rever :P)